Foliations associated to maps tangent to the identity

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Let $f \in End(\mathbb{C}^2, O)$ be a holomorphic germ tangent to the identity, and let $\pi \colon \tilde{M} \to \mathbb{C}^2$ be the blow-up of the origin. If the origin is non-dicritical for f, we can define three different foliations on the normal bundle N_S, where $S \subset \tilde{M}$ is the exceptional divisor. These foliations are related to the local dynamics of f.